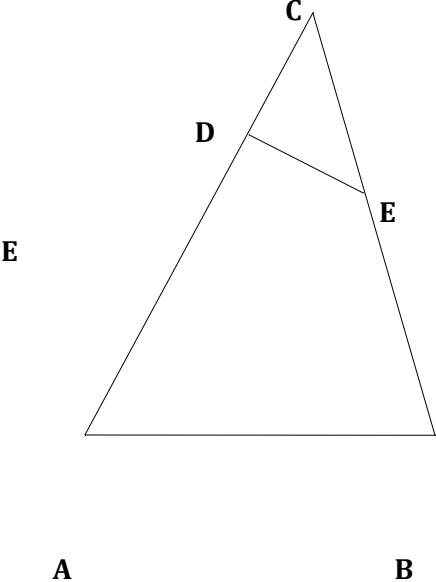


NAME _____ INDEX NUMBER _____

SCHOOL _____ DATE _____

VECTORS

KCSE 1989 – 2012 Form 3 Mathematics	Working Space
<p>1. 1989 Q11 P2 In the figure below, $\mathbf{AB} = \mathbf{p}$, $\mathbf{AD} = \frac{3}{5}\mathbf{AC}$ and $\mathbf{CE} = \frac{2}{3}\mathbf{CB}$</p>  <p style="text-align: center;">A B</p> <p>Express \mathbf{DE} in terms of \mathbf{p} and \mathbf{q}</p>	
<p>2. 1990 Q21 P1 In a parallelogram ABCD, $\mathbf{AB} = 2\mathbf{a}$ and $\mathbf{AD} = \mathbf{b}$. M is the midpoint of AB. AC cut MD at X. i) Express AC in terms of \mathbf{a} and \mathbf{b} (2 marks) ii) Given that $\mathbf{AX} = m\mathbf{AC}$ and $\mathbf{MX} = n\mathbf{MD}$, where m and n are constants, find m and n. (6 marks)</p>	

Working Space

3. **1990 Q8 P2**

In a triangle ABC, D is the midpoint of AB and E is a point on BC such that $BE = \frac{2}{3} BC$. If $\mathbf{AD} = \mathbf{p}$ and $\mathbf{AC} = \mathbf{q}$, express \mathbf{EC} in terms of \mathbf{p} and \mathbf{q} .

(2 marks)

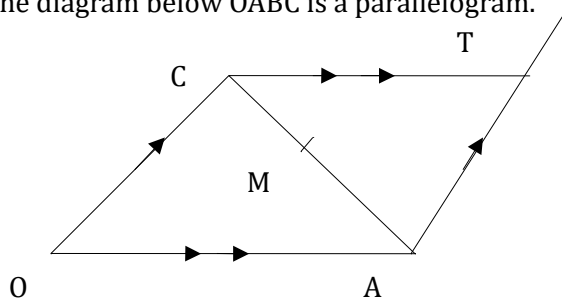
4. **1990 Q10 P2**

A point T divides a line AB internally in the ratio 5 : 2. Given that A is (-4, 10) and B is (10, 3) find the coordinates of T.

(4 marks)

5. **1991 Q6 P1**

In the diagram below OABC is a parallelogram.



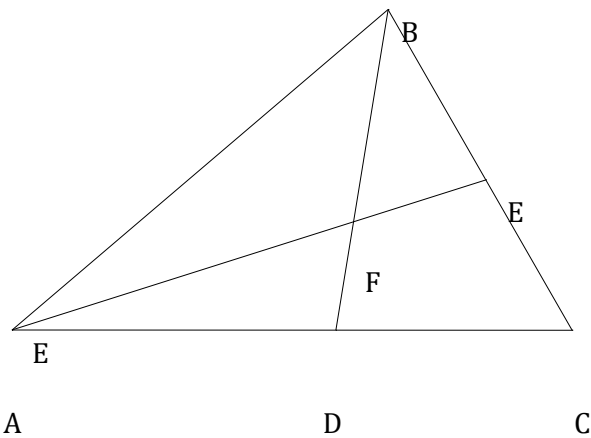
AB is produced to T such that $BT : AB = 1 : 2$. M is the midpoint of AC. Given that $\mathbf{OA} = \mathbf{a}$ and $\mathbf{OC} = \mathbf{c}$. Express \mathbf{MT} in terms of \mathbf{a} and \mathbf{c} .

(3 marks)

Working Space

6. **1991 Q20 P1**

In the figure below E is the midpoint of BC, AD: DC = 3:2 and F is the point of intersection of BD and DE.



- i) Given that $\mathbf{AB} = \mathbf{b}$ and $\mathbf{AC} = \mathbf{c}$ express \mathbf{AE} and \mathbf{BD} in terms of \mathbf{b} and \mathbf{c} (3 marks)
- ii) Given further that $\mathbf{BF} = t\mathbf{BD}$ and $\mathbf{AF} = s\mathbf{AE}$ find the values of s and t . (5 marks)

7. **1992 Q11 P1**

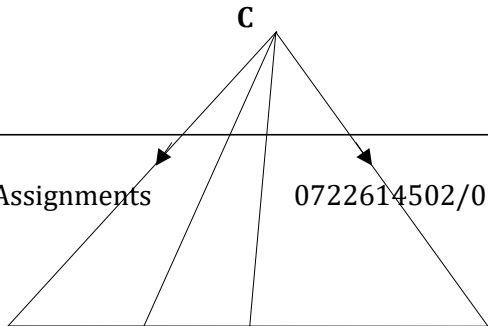
Three points A, B and P are in straight line such that $\mathbf{AP} = t\mathbf{AB}$. Given that the coordinates of A, B and P are (3,4) (8,7) and (x,y) respectively, express x and y in term s of t . (3 marks)

		Working Space
8.	<p>1992 Q24 P1</p> <p>OABC is a trapezium such that the coordinates of O,A,B and C ARE (0,0),(2,-1), (4, 3) and (0, y).</p> <p>a) Find the value of y (2 marks)</p> <p>b) M is a midpoint of AB and N is a midpoint of OM. Show that A, N and C are collinear. (6 marks)</p>	
9.	<p>1992 Q7 P2</p> <p>The vectors \mathbf{p}, \mathbf{q} and \mathbf{y} are expressed in terms of the vectors \mathbf{t} and \mathbf{s} as follow:</p> <p>$\mathbf{p} = 3\mathbf{t} + 2\mathbf{s}$</p> <p>$\mathbf{q} = 5\mathbf{t} - \mathbf{s}$</p> <p>$\mathbf{y} = h\mathbf{t} + (h - k)\mathbf{s}$</p> <p>where h and k are constants. Given that $\mathbf{y} = 2\mathbf{p} - 3\mathbf{q}$, find</p>	

	<p>the values of k and l. (4 marks)</p>	<p>Working Space</p>
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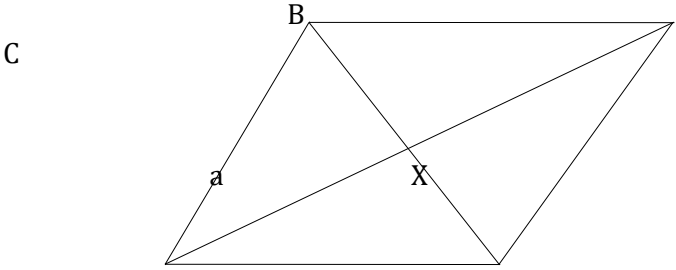
<p>10</p>	<p>1993 Q21 P1 OABC is a trapezium in which $\mathbf{OA} = \mathbf{a}$, $\mathbf{OC} = \mathbf{c}$ and $\mathbf{CB} = 3\mathbf{a}$. CB is produced to such that $CB : BD = 3 : 1$. E is a point on AB such that $\mathbf{AB} = 2\mathbf{AE}$. Show that O, E and d are collinear. (8 marks)</p>	
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<p>11</p>	<p>1993 Q16 P1 In the figure below $\mathbf{CA} = b$, $\mathbf{CB} = a$, $\mathbf{AX} = \mathbf{XY}$ and $\mathbf{AY} = \mathbf{YB}$.</p>	
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	<p>a b</p> <p style="text-align: center;">A X Y B</p> <p>Express CX in terms of a and b (3 marks)</p>	Working Space
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12 **1994 Q24 P1**
 In the figure below $AB = a$, $AD = b$, $AX : XC = 2:3$ and $XB = 4:5$



- A** **b** **D**
- a) Express
- i) **AC**
 - ii) **DC** in terms of **a** and **b** in the simplest form. (6 marks)
- b) If $DC = na + mb$, find the values of n and m (2 marks)

13	<p>1994Q12P2 Find the position vector of point R which divides line MN internally in the ratio 2 : 3. Take the position vectors of M and N to be</p> $\mathbf{M} = \begin{pmatrix} 3 \\ 4 \\ -6 \end{pmatrix} \quad \text{and } \mathbf{N} = \begin{pmatrix} 3 \\ 4 \\ -6 \end{pmatrix}$ $\begin{pmatrix} -5 \\ -1 \\ 2 \end{pmatrix}$ <p style="text-align: right;">(3 marks)</p>	Working Space
14	<p>1994 Q10 P2 In the figure below $OC = 3 CA$ and $OD = 3DB$. By taking $OA = a$, $OB = b$, show that $CD \parallel AB$. (3 marks)</p> <p style="text-align: center;">O</p> <p style="text-align: center;">D C D</p> <p style="text-align: center;">B A B</p>	
15	<p>1994 Q15 P2 In the figure below ABCD is a parallelogram. AOC and BOD are diagonals of the parallelogram. Show that the diagonals of the parallelogram bisect each other. Give</p>	

reasons.

(3 marks)

A

B

D

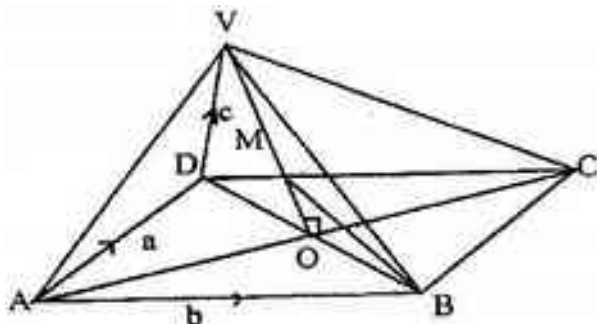
C

Working Space

16

1995 Q 18 P1

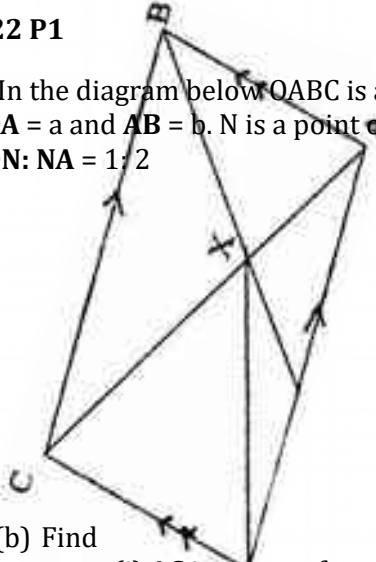
The figure below is a right pyramid with a rectangular base ABCD and VO as the height. The vectors $\mathbf{AD} = \mathbf{a}$, $\mathbf{AB} = \mathbf{b}$ and $\mathbf{DV} = \mathbf{c}$

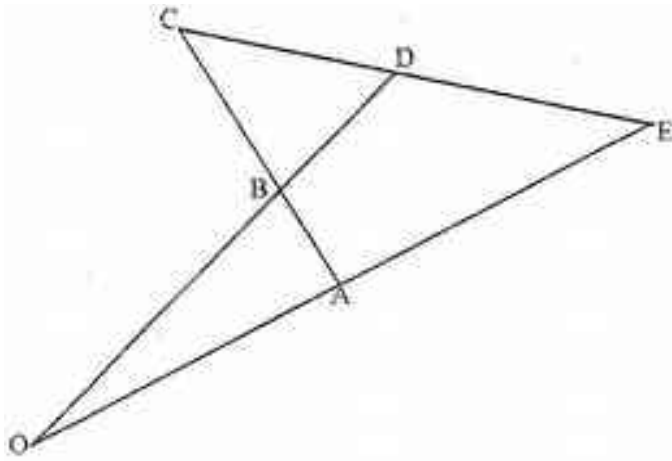


a) Express (i) \mathbf{AV} in terms of \mathbf{a} and \mathbf{c} (1 mark)

(ii) \mathbf{BV} in terms of \mathbf{a} , \mathbf{b} and \mathbf{c} (2 marks)

(b) M is point on \mathbf{OV} such that $\mathbf{OM} : \mathbf{MV} = 3:4$, Express \mathbf{BM} in terms of \mathbf{a} , \mathbf{b} and \mathbf{c} . Simplify your answer as far as possible (5 marks)

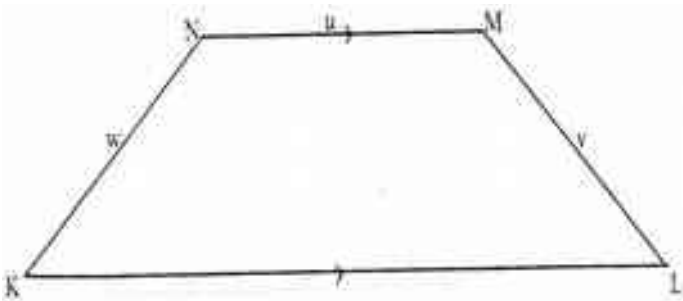
17	<p>1996 Q 22 P1</p> <p>a) In the diagram below OABC is a parallelogram, $\mathbf{OA} = \mathbf{a}$ and $\mathbf{AB} = \mathbf{b}$. N is a point on OA such that $\mathbf{ON} : \mathbf{NA} = 1 : 2$</p>  <p>(b) Find</p> <ol style="list-style-type: none"> \mathbf{AC} in terms of \mathbf{a} and \mathbf{b} \mathbf{BN} in terms of \mathbf{a} and \mathbf{b} <p>(c) The lines AC and BN intersect at X, $\mathbf{AX} = h\mathbf{AC}$ and $\mathbf{BX} = k\mathbf{BN}$</p> <ol style="list-style-type: none"> By expressing \mathbf{OX} in two ways, find the values of h and k Express \mathbf{OX} in terms of \mathbf{a} and \mathbf{b} (1 mark) 	Working Space
18	<p>1997 Q 11 P2</p> <p>ABC is a triangle and P is on AB such that P divides AB internally in the ratio 4:3. Q is a point on AC such that PQ is parallel to BC. If AC = 14 cm</p> <ol style="list-style-type: none"> State the ratio AQ:QC Calculate the length of QC 	
19	<p>1997 Q 22 P1</p> <p>In the figure below $\mathbf{OA} = \mathbf{a}$, $\mathbf{OB} = \mathbf{b}$, $\mathbf{AB} = \mathbf{BC}$ and $\mathbf{OB} : \mathbf{BD} = 3 : 1$</p>	



- (a) Determine
- (i) AB
 - (ii) CD , in terms of a and b
- (b) If $CD : DE = 1:k$ and $OA:AE = 1: m$ determine
- (i) DE in terms of a, b and k

Working Space

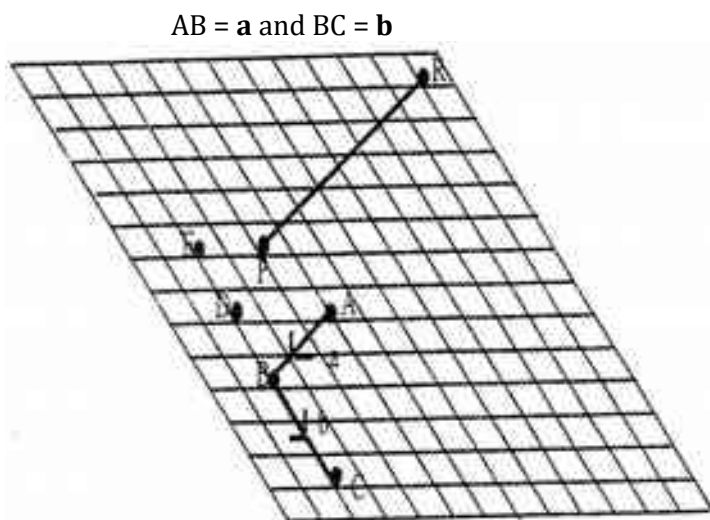
- 20 **1998 Q 9 P2**
 In the figure, $KLMN$ is a trapezium in which KL is parallel to NM and $KL = 3 NM$



Given that $KN = w$, $NM = u$ and $ML = v$. Show that $2u = v = w$

- 21 **1998 Q 22 P1**
 The figure below shows a grid of equally spaced

parallel lines



(a) Express

- (i) AC in terms of \mathbf{a} and \mathbf{b}
- (ii) AD in terms of \mathbf{a} and \mathbf{b} .

(b) Using triangle BEP, express BP in terms of \mathbf{a} and \mathbf{b}

(c) PR produced meets BA produced at X and $PR = \frac{1}{9}\mathbf{b} - \frac{8}{3}\mathbf{a}$

By writing PX as kPR and BX as hBA and using the triangle BPX determine the ratio PR:RX

Working Space

22 **1999 Q 14 P2**

The points P, Q and R lie on a straight line. The position vectors of P and R are $2\mathbf{i} + 2\mathbf{j} + 13\mathbf{k}$ and $5\mathbf{i} - 3\mathbf{j} + 4\mathbf{k}$ respectively. Q divides PR internally in the ratio 2:1. Find the

- (a) Position vector of Q.
- (b) Distance of Q from the origin

23

1999 Q 21 P1

In triangle OAB, $\mathbf{OA} = \mathbf{a}$, $\mathbf{OB} = \mathbf{b}$ and P lies on AB such that AP:BP = 3:5

(a) Find the terms of \mathbf{a} and \mathbf{b} the vectors

(i) \mathbf{AB}

(ii) \mathbf{AP}

(iii) \mathbf{BP}

(iv) \mathbf{OP}

(b) Point Q is on OP such $\mathbf{AQ} = \frac{-5}{8} \mathbf{a} + \frac{9}{40} \mathbf{b}$.

Find the

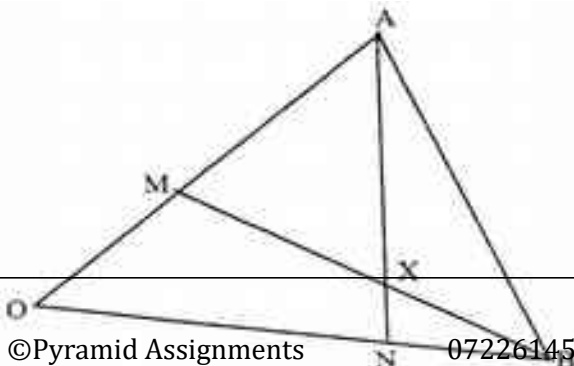
ratio OQ:QP

Working Space

24

2000 Q 21 P1

The figure below shows triangle OAB in which M divides OA in the ratio 2:3 and N divides OB in the ratio 4:1 AN and BM intersect at X.



(a) Given that $OA = \mathbf{a}$ and $OB = \mathbf{b}$, express in terms of \mathbf{a} and \mathbf{b} :

(i) \mathbf{AN}

(ii) \mathbf{BM}

(b) If $\mathbf{AX} = s\mathbf{AN}$ and $\mathbf{BX} = t\mathbf{BM}$, where s and t are constants, write two expressions for \mathbf{OX} in terms of \mathbf{a}, \mathbf{b} , s and t . Find the value of s . Hence write \mathbf{OX} in terms of \mathbf{a} and \mathbf{b} .

25 **2001 Q 16 P1**

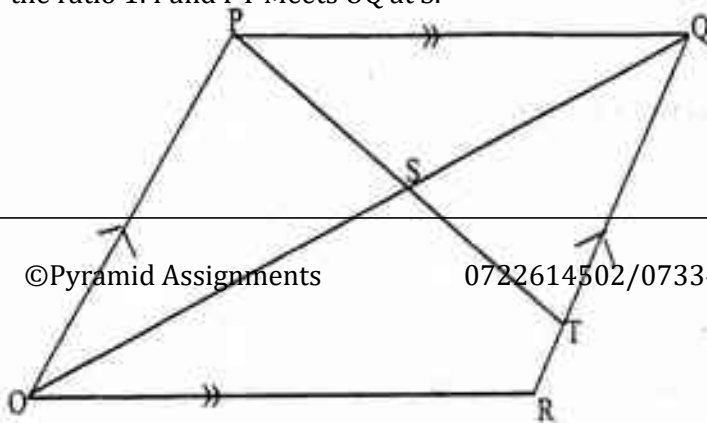
The position vectors for points P and Q are $4\mathbf{i} + 3\mathbf{j} + 2\mathbf{k}$ and $3\mathbf{i} - 6\mathbf{j} + 6\mathbf{k}$ respectively. Express vector \mathbf{PQ} in terms of unit vectors \mathbf{i} , \mathbf{j} and \mathbf{k} . Hence find the length of \mathbf{PQ} , leaving your answer in simplified form.

Working Space

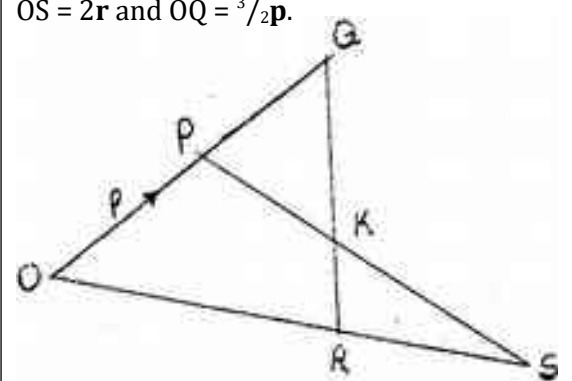
26

2001 Q 19 P1

The figure below shows a parallelogram $OPQR$ with O as the origin, $\mathbf{OP} = \mathbf{p}$ and $\mathbf{OR} = \mathbf{r}$. Point T divides RQ in the ratio $1:4$ and PT meets OQ at S .



	<p>(a) Express in terms of \mathbf{p} and \mathbf{r} the vectors</p> <p>(i) \mathbf{OQ}</p> <p>(ii) \mathbf{OT}</p> <p>(b) Vector \mathbf{OS} can be expressed in two ways: $m\mathbf{OQ}$ or $\mathbf{OT} + n\mathbf{TP}$, Where m and n are constants express \mathbf{OS} in terms of</p> <p>(i) m, \mathbf{p} and \mathbf{r}</p> <p>(ii) n, \mathbf{p} and \mathbf{r}</p> <p>Hence find the:</p> <p>(iii) Value on m</p> <p>(iv) Ratio $OS: SQ$</p>	
27	<p>2002 Q 10 P2</p> <p>The coordinates of points O, P, Q and R are $(0,0)$, $(3,4)$, $(11,6)$ and $(8,2)$ respectively. A point T is such that vectors \mathbf{OT}, \mathbf{QP} and \mathbf{QR} satisfy the vector equation. $\mathbf{OT} = \mathbf{QP} + \frac{1}{2}\mathbf{QR}$. Find the coordinates of T.</p>	Working Space
28	<p>2002 Q 4 P1</p> <p>The position vectors of points X and Y are $x=2\mathbf{i} + \mathbf{j} - 3\mathbf{k}$ and $y=3\mathbf{i} + 2\mathbf{j} - 2\mathbf{k}$ respectively. Find \mathbf{XY}</p>	

29	<p>2003 Q 6 P1 Given that $x = 2\mathbf{i} + \mathbf{j} - 2\mathbf{k}$, $y = -3\mathbf{i} + 4\mathbf{j} - \mathbf{k}$ and $z = -5\mathbf{i} + 3\mathbf{j} + 2\mathbf{k}$ and that $\mathbf{p} = 3\mathbf{x} - \mathbf{y} + 2\mathbf{z}$. Find the magnitude of vector \mathbf{p} to 3 significant figure (4 marks)</p>	
30	<p>2003 Q 21 P1 In the figure below, vector $OP = \mathbf{p}$ and $OR = \mathbf{r}$. Vector $OS = 2\mathbf{r}$ and $OQ = \frac{3}{2}\mathbf{p}$.</p>  <p>a) Express in terms of \mathbf{p} and \mathbf{r} (i) \mathbf{QR} and (ii) \mathbf{PS} b) The lines QR and PS intersect at K such that $\mathbf{QK} = m\mathbf{QR}$ and $\mathbf{PK} = n\mathbf{PS}$, where m and n are scalars. Find two distinct expressions for \mathbf{OK} in terms of $\mathbf{p}, \mathbf{r}, m$ and n. Hence find the values of m and n. (5 marks) c) State the ratio $PK:KS$</p>	Working Space
31	<p>2004 Q 4 P1 Given that $\mathbf{OA} = 3\mathbf{i} - 2\mathbf{j} + \mathbf{k}$ and $\mathbf{OB} = 4\mathbf{i} + \mathbf{j} - 3\mathbf{k}$. Find the</p>	

	distance between points A and B to 2 decimal places.	
32	<p>2004 Q 21 P1</p> <p>a) If A, B and C are the points P and Q are \mathbf{p} and \mathbf{q} respectively is another point with position vector $\mathbf{r} = \frac{3}{2}\mathbf{q} - \frac{1}{2}\mathbf{p}$. Express in terms of \mathbf{p} and \mathbf{q}.</p> <p>i) PR</p> <p>ii) RQ hence shows that P, Q and R are collinear.</p> <p>iii) Determine the ratio PQ: QR.</p>	
33	<p>2005 Q 13 P1</p> <p>Point T is the midpoint of a straight line AB. Given the position vectors of A and T are $\mathbf{i} - \mathbf{j} + \mathbf{k}$ and $2\mathbf{i} + \frac{1}{2}\mathbf{k}$ respectively, find the position vector of B in terms of \mathbf{i}, \mathbf{j} and \mathbf{k}. (3 marks)</p>	
34	<p>2005 Q 18 P1</p> <p>The points P, Q, R and S have position vectors $2\mathbf{p}$, $3\mathbf{p}$, \mathbf{r} and $3\mathbf{r}$ respectively, relative to an origin O. A point T divides PS internally in the ratio 1:6</p> <p>(a) Find, in the simplest form, the vectors OT and QT in terms P and r (4 marks)</p> <p>(b) (i) Show that the points Q, T, and R lie on a straight line (3 marks)</p> <p>(ii) Determine the ratio in which T divides QR (1 mark)</p>	Working Space

35 **2006 Q 12 P1**

Two points P and Q have coordinates (-2, 3) and (1,3) respectively. A translation map point P to P' (10, 10)

- a) Find the coordinates of Q' the image of Q under the translation (1 mark)
 (ii) The position vector of P and Q in (a) above are p and q respectively given that $m\mathbf{p} - n\mathbf{q} =$

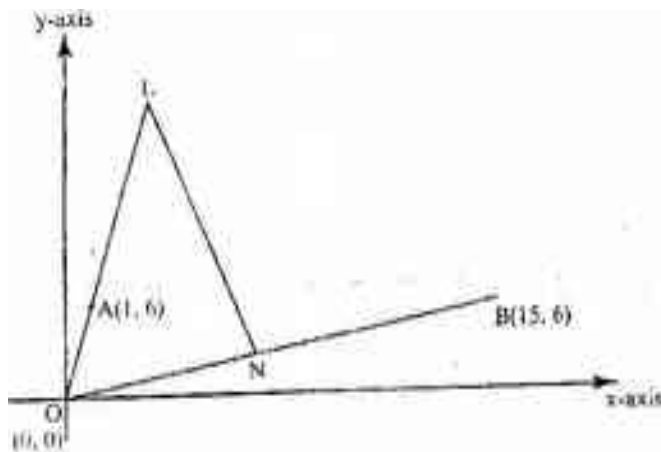
$$\begin{pmatrix} -12 \\ 9 \end{pmatrix}$$

(3 marks)

- b) Find the value of m and n

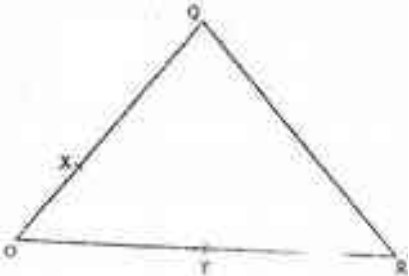
36 **2006 Q 22 P1**

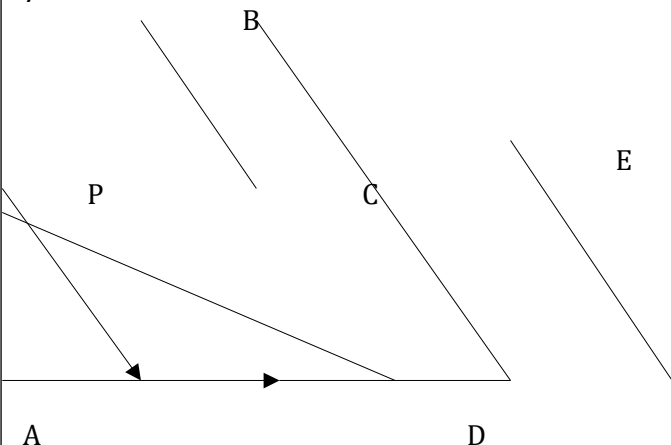
In the diagram below, the coordinates of points A and B are (1, 6) and (15, 6) respectively. Point N is on OB such that $3 ON = 2OB$. Line OA is produced to L such that $OL = 3 OA$



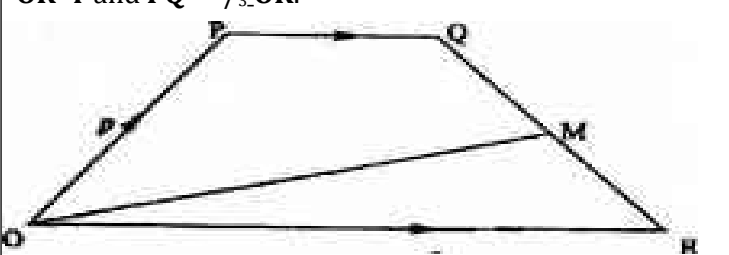

- (a) Find vector LN (3 marks)
 (b) Given that a point M is on LN such that $LM:MN = 3:4$, find the coordinates of (2 marks)
 (c) If line OM is produced to T such that $OM:MT = 6:1$
 (i) Find the position vector of T (1 mark)
 (ii) Show that points L, T and B are collinear (4 marks)

Working Space

37	<p>2006 Q 9 P2 Given that $q \mathbf{i} + \frac{1}{3} \mathbf{j} + \frac{2}{3} \mathbf{k}$ is a unit vector, find q (2 marks)</p>	
38	<p>2007 Q 21 P1 In the figure below, $\mathbf{OQ} = q$ and $\mathbf{OR} = r$. Point X divides OQ in the ratio 1: 2 and Y divides OR in the ratio 3: 4 lines XR and YQ intersect at E.</p>  <p>(a) Express in terms of q and r (i) \mathbf{XR} (1 mark) (ii) \mathbf{YQ} (1 mark) (b) If $\mathbf{XE} = m \mathbf{XR}$ and $\mathbf{YE} = n \mathbf{YQ}$, express \mathbf{OE} in terms of: (1 mark) (i) r, q and m (ii) r, q and n (1 mark) (c) Using the results in (b) above, find the values of m and n. (6 marks)</p>	

		Working Space
39	<p>2007 Q 12 P2 Vector q has a magnitude of 7 and is parallel to vector p. Given that $p = 3\mathbf{i} - \mathbf{j} + 1\frac{1}{2}\mathbf{k}$, express vector q in terms of \mathbf{i}, \mathbf{j}, and \mathbf{k}. (2 marks)</p>	
40	<p>2008 Q 19 P2 In the figure below $AB = \mathbf{p}$, $AD = \mathbf{q}$, $DE = \frac{1}{2} AB$ and $BC = \frac{2}{3} BD$</p>  <p>a) Find in terms of \mathbf{p} and \mathbf{q} the vectors: (1 mark)</p> <p>(i) \mathbf{BD}; (1 mark) (ii) \mathbf{BC}; (1 mark) (iii) \mathbf{CD}; (1 mark) (iv) \mathbf{AC}. (2 marks)</p> <p>b) Given that $\mathbf{AC} = k\mathbf{CE}$, where k is a scalar, find (i) The value of k (4 marks) (ii) The ratio in which C divides AE (1 mark)</p>	

		Working Space
41	<p>2008 Q 4 P2</p> <p>The position vectors of points A and B are $\begin{pmatrix} 3 \\ -1 \\ -4 \end{pmatrix}$ and $\begin{pmatrix} 8 \\ -6 \\ 6 \end{pmatrix}$ respectively.</p> <p>A point P divides AB in the ratio 2:3. Find the position vector of point P. (3 marks)</p>	
42	<p>2009 Q 20 P1</p> <p>The position vectors of point A and B with respect to the O, are $\begin{pmatrix} -8 \\ 5 \end{pmatrix}$ and $\begin{pmatrix} 12 \\ -5 \end{pmatrix}$ respectively</p> <p>Point M is the midpoint of AB and N is the midpoint of OA.</p> <p>(a) Find:</p> <p>i) The coordinates of N and M (3 marks)</p> <p>ii) The magnitude of NM (3 marks)</p> <p>(b) Express vector NM in terms of OB.</p> <p>(c) Point P maps onto P' by a translation $\begin{pmatrix} -5 \\ 8 \end{pmatrix}$</p> <p>Given that OP' = OM + 2MN, find the coordinates of P'</p>	

<p>43</p>	<p>2009 Q 6 P2</p> <p>Vector $\mathbf{OA} = \begin{pmatrix} 2 \\ 1 \end{pmatrix}$ and $\mathbf{OB} = \begin{pmatrix} 6 \\ -3 \end{pmatrix}$ Point C is on OB such $CB=2OC$ and point D is on AB such that $AD=3DB$.</p> <p>Express \mathbf{CD} as a column vector. (3 marks)</p>	<p>Working Space</p>
<p>44</p>	<p>2010 Q 7 P1</p> <p>In the figure below, OPQR is a trapezium in which PQ is parallel to OR and M is the mid-point of QR and $\mathbf{OP}=\mathbf{p}$, $\mathbf{OR}=\mathbf{r}$ and $\mathbf{PQ} = \frac{1}{3}\mathbf{OR}$.</p>  <p>Find \mathbf{OM} in terms of \mathbf{p} and \mathbf{r}. (3 marks)</p>	
<p>45</p>	<p>2010 Q 18 P2</p> <p>In the figure below OJKL is a parallelogram in which $\mathbf{OJ} = 3\mathbf{p}$ and $\mathbf{OL} = 2\mathbf{r}$</p> 	

	<p style="text-align: center;">O 3p J</p> <p>a) If A is a point on LK such that $LA = \frac{1}{2} AK$ and point B divide the line JK externally in the ratio 3:1, express OB and AJ in terms of p and r. (2 marks)</p> <p>b) Line OB interests AJ at X such that $OX = mOB$ and $AX = nAJ$.</p> <p>i) Express OX in terms of p, r and m. (1 mark)</p> <p>ii) Express OX in terms of p, r and n (1 mark)</p> <p>iii) Determine the value of <i>m</i> and <i>n</i> and hence the ratio in which point x divides line AJ. (6 marks)</p>	Working Space
46	<p>2011 Q 13 P2</p> <p>Vector $OP=6i + j$ and $OQ+ -2i +5j$. A point N divides PQ internally in the ratio 3:1. Find PN in terms of i and j. (3 marks)</p>	
47	<p>2011 Q 23 P1</p> <p>In the figure below,ABCD is a trapezium. AB is parallel to DC,diagonals AC and DB intersect at X and $DC=2AB$. $AB= a$, $DA=d$, $AX=k AC$ and $DX= hDB$ where h and k are constants.</p> <p style="text-align: center;">A a B</p> <p style="text-align: center;">d X</p>	

	<p style="text-align: center;">D C</p> <p>a) Find in terms of a and d</p> <p style="margin-left: 40px;">i) BC (2 marks)</p> <p style="margin-left: 40px;">ii) AX (2 marks)</p> <p style="margin-left: 40px;">iii) DX (1 mark)</p>	
48	<p>2012 Q4 P2</p> <p>Given that $P=2i-3j+k$, $Q=3i-4j-3k$ and $R=3P+2Q$, find the magnitude of R to 2 significant figures. (3 marks)</p>	Working Space
49	<p>2012 Q19 P2</p> <p>In triangle OPQ below, $OP = p$, $OQ=q$. Point M lies on OP such that $OM:MP=2:3$ and point N lies on OQ such that $ON:NQ=5:1$. Line PN intersects line MQ at X.</p> <p style="text-align: center;">P</p> <p style="margin-left: 40px;">p</p> <p style="margin-left: 40px;">M</p>	

	<p>O Q</p> <p style="text-align: center;">q</p> <p>(a) Express in terms of p and q:</p> <p>(i) PN; (1 mark)</p> <p>ii) QM; (1 mark)</p> <p>(b) Given that PX= kPN and QX=rQM, where k and r are scalars:</p> <p>(i) Write two different expressions for OX in terms of p,q,k and r; (2 marks)</p> <p>(ii) Find the values of k and r; (4 marks)</p> <p>(iii) Determine the ratio in which X divides line MQ. (2 marks)</p>	
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